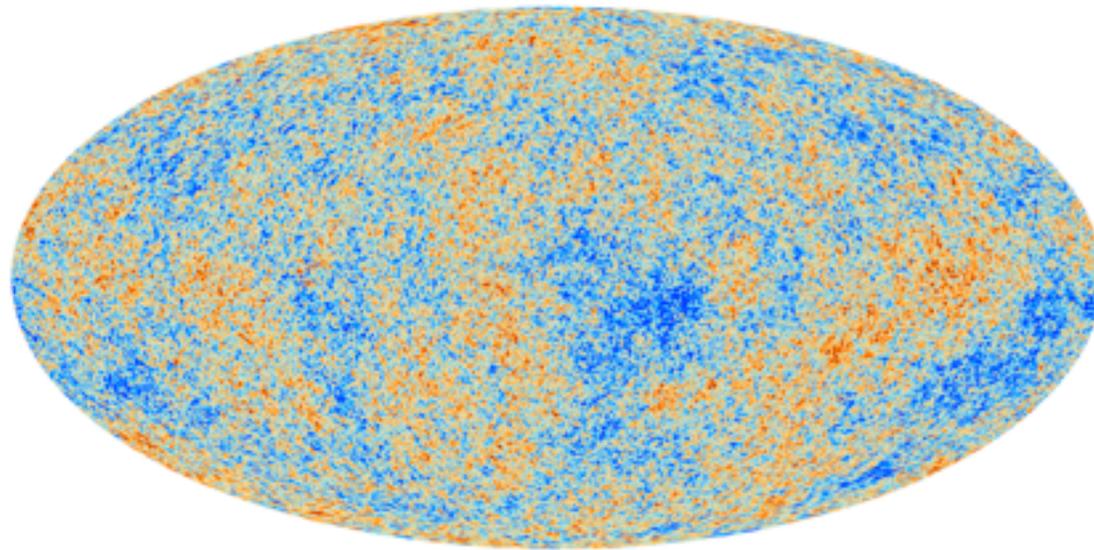


Particle Physics from Planck for 'Pedestrians'



Jo Dunkley

Oxford Astrophysics



planck

Oxford, June 20

History of early universe

Inflation?

CDM decoupling?

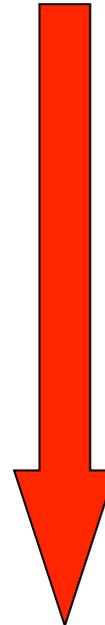
Quark-hadron transition

Neutrino Decoupling

Big Bang Nucleosynthesis

Matter-Radiation Equality

Recombination



$T \sim 10^{15}$ GeV

$t \sim 10^{-35}$ s

$T \sim 10$ GeV?

$t \sim 10^{-8}$ s

$T \sim$ GeV

$t \sim 10^{-6}$ s

$T \sim 1$ MeV

$t \sim 1$ s

$T \sim 100$ keV

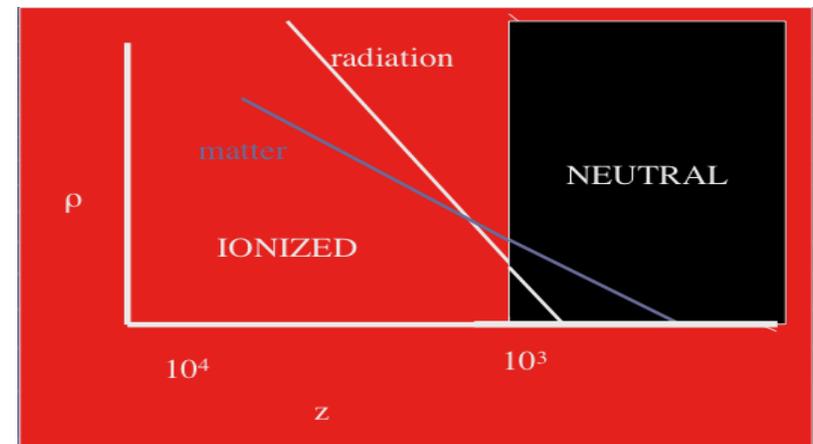
$t \sim 10$ min

$T \sim 0.8$ eV

$t \sim 60000$ yr

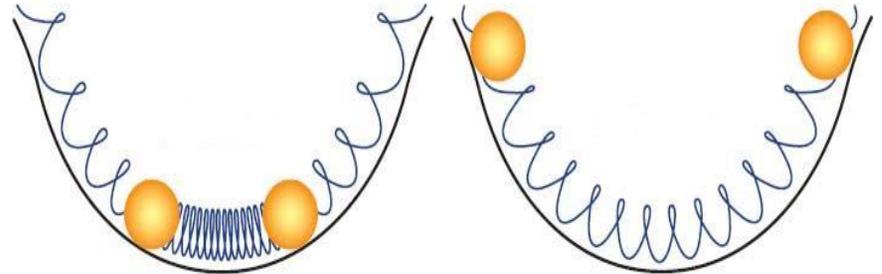
$T \sim 0.3$ eV

$t \sim 380000$ yr



Seeds of structure

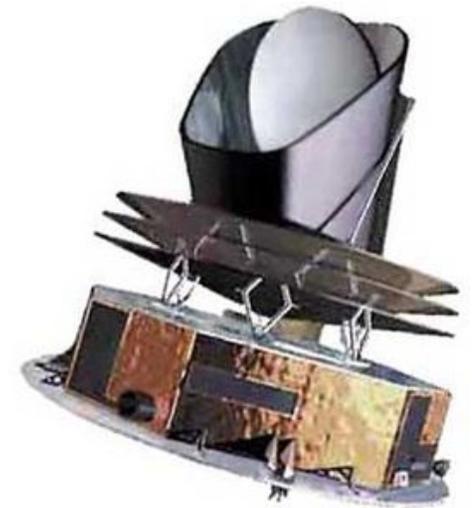
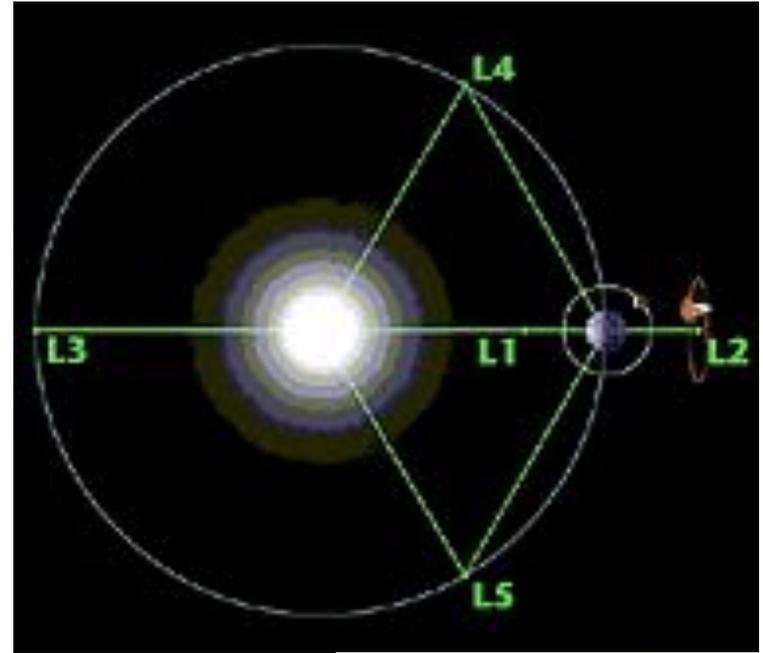
1. Inflation (?) imprints quantum fluctuations.
2. Space expands, regions enter into causal contact and start to evolve.
3. Coupled baryons and photons produce oscillations in plasma.



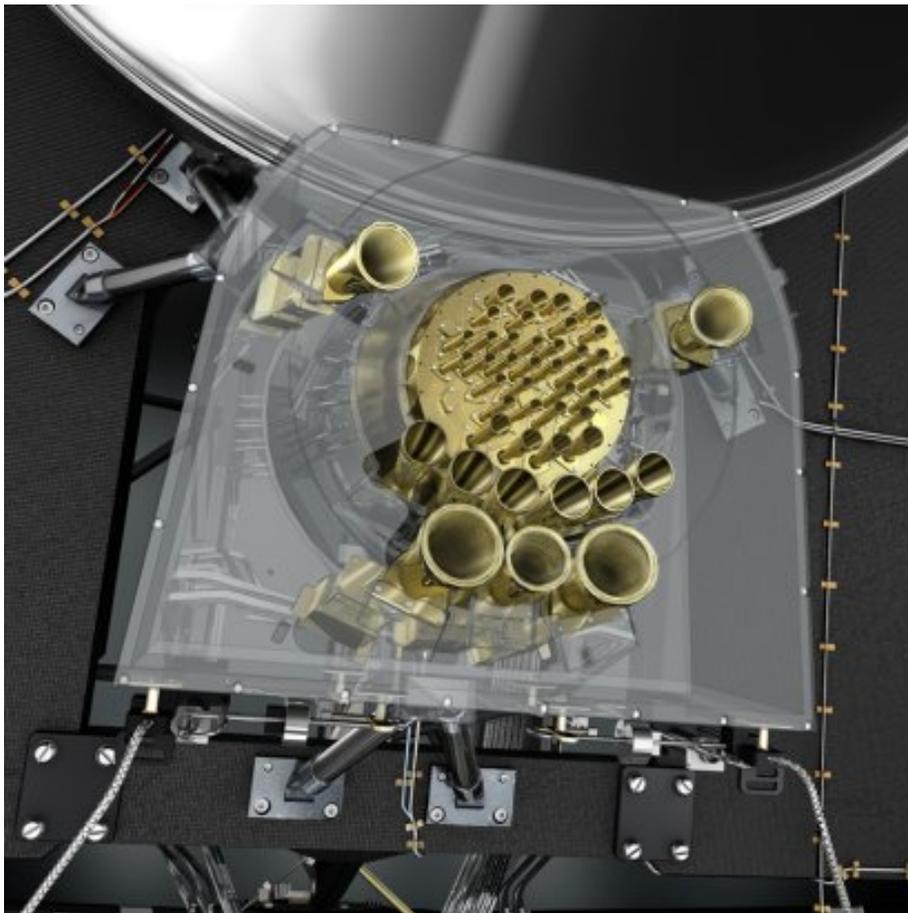
After 380,000 years the fluctuations have evolved, and we see a snapshot of them as anisotropies.

Linearity means we can use the anisotropies to infer the initial fluctuations and the contents of the Universe.

Planck launched 2009



The Planck instruments

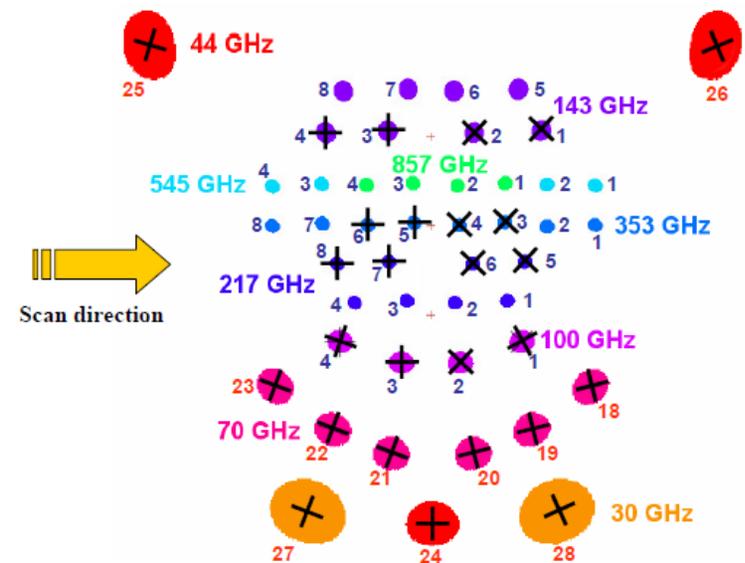


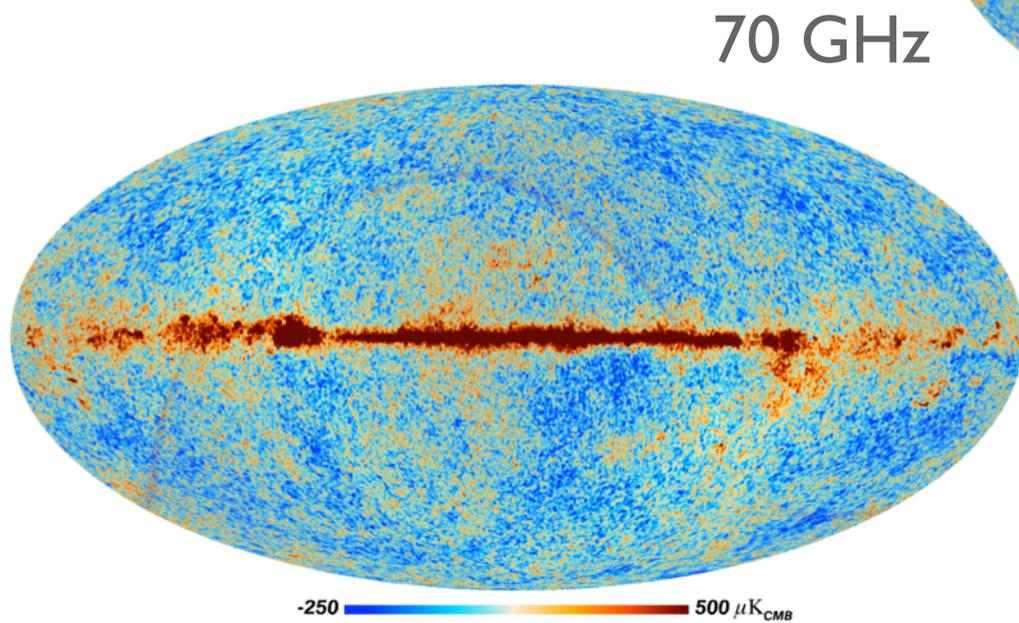
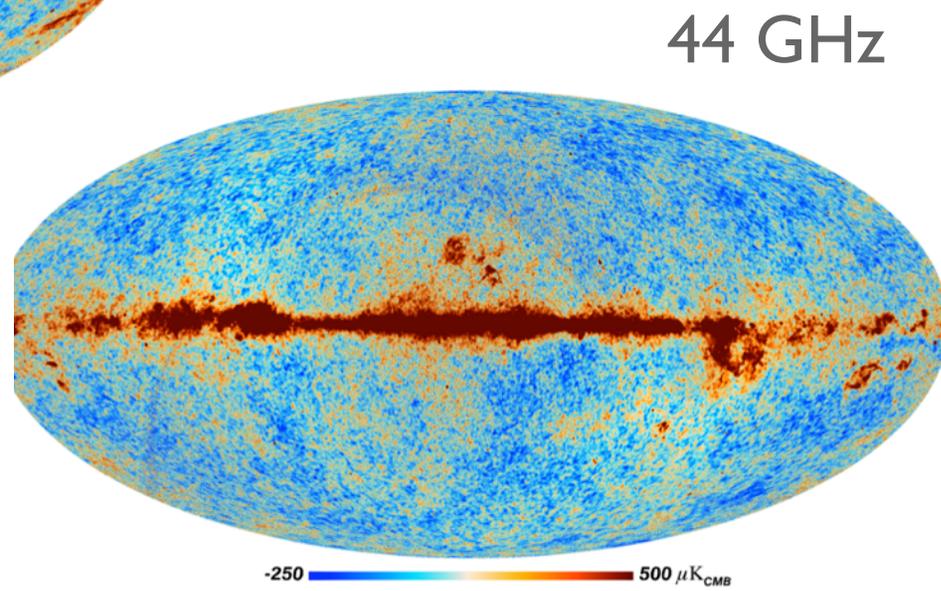
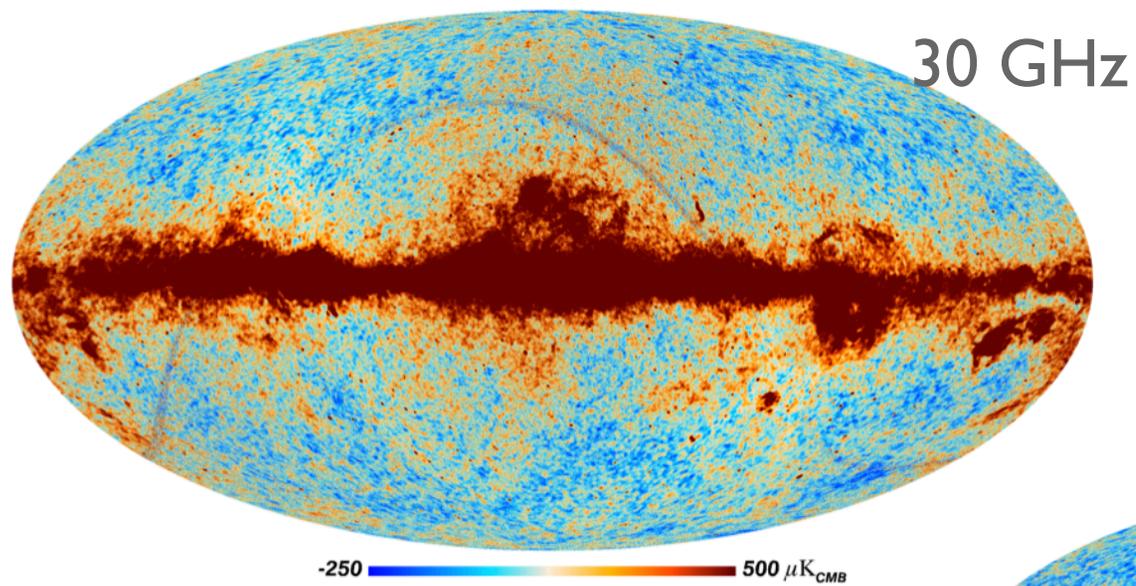
Low Frequency Instrument (LFI) – 33-70 GHz

High Frequency Instrument (HFI) – 100-857 GHz.

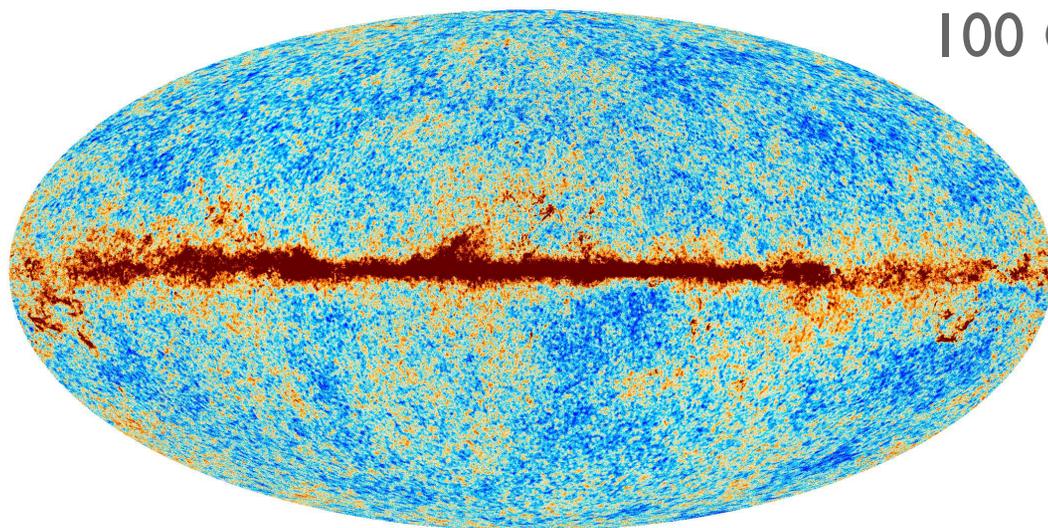
HFI actively cooled to 0.1K so took data until Jan 2012. LFI still observing.

Bigger mirror: few arcmin resolution



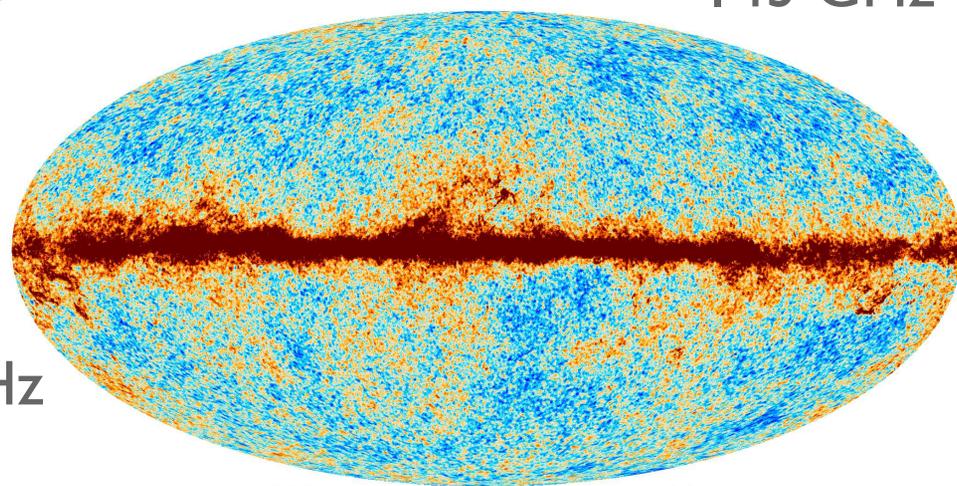


100 GHz



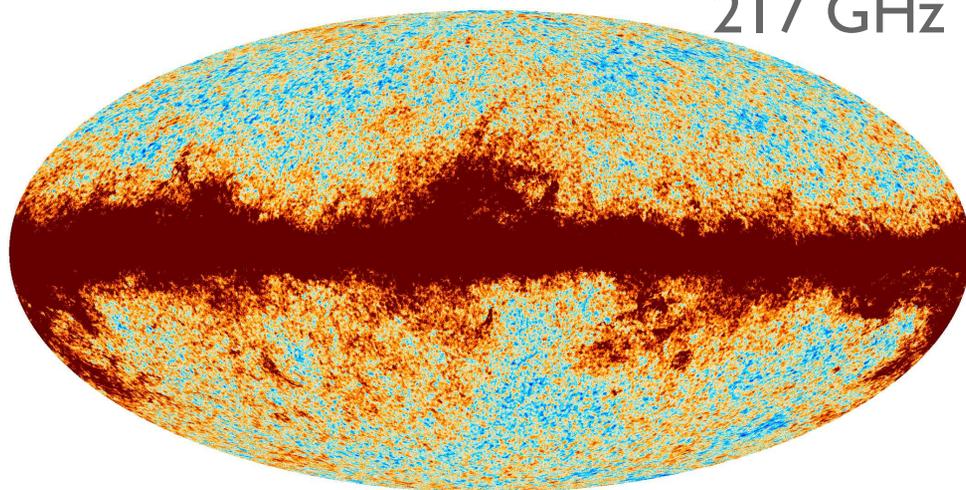
-250 500 μK_{CMB}

143 GHz



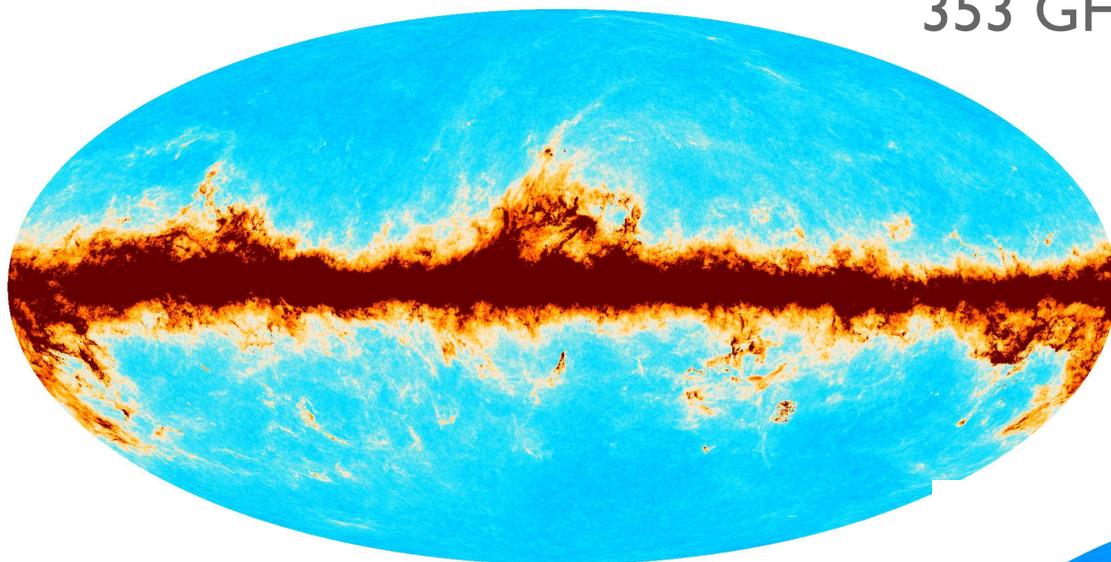
-250 500 μK_{CMB}

217 GHz



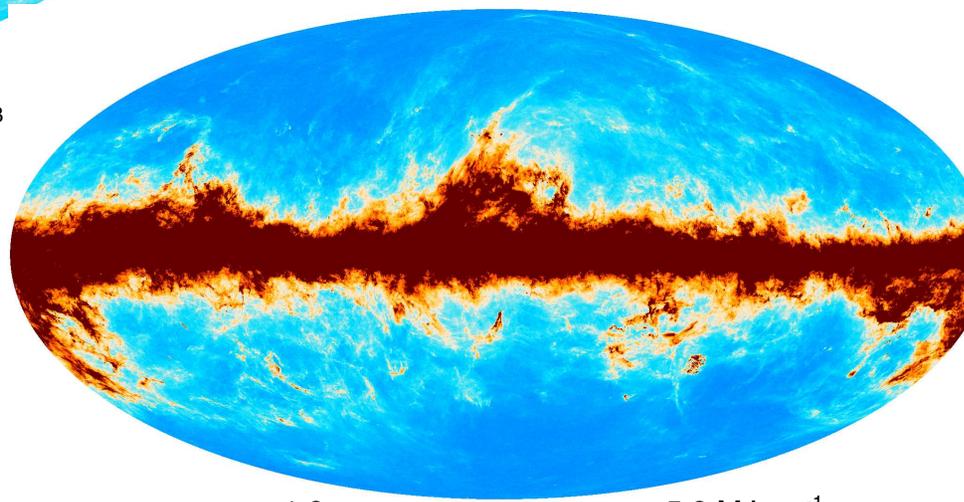
-250 500 μK_{CMB}

353 GHz



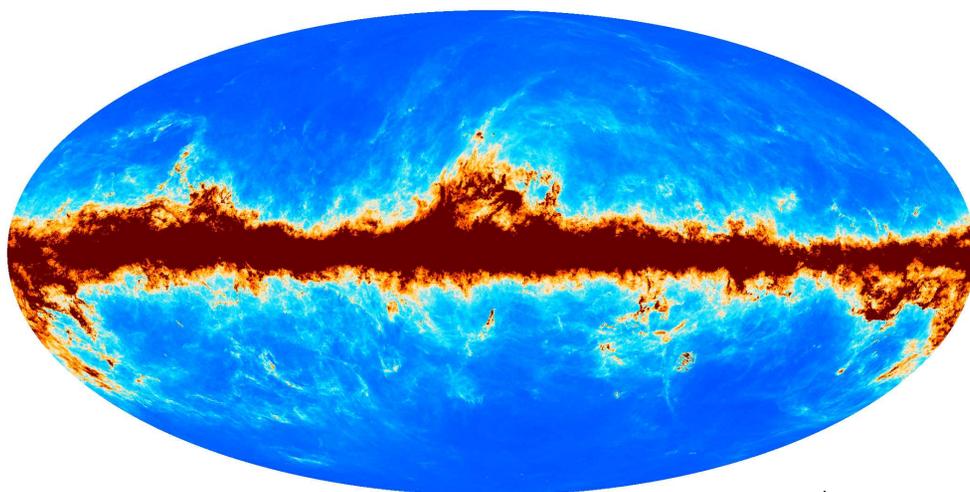
-2500 7500 μK_{CMB}

545 GHz

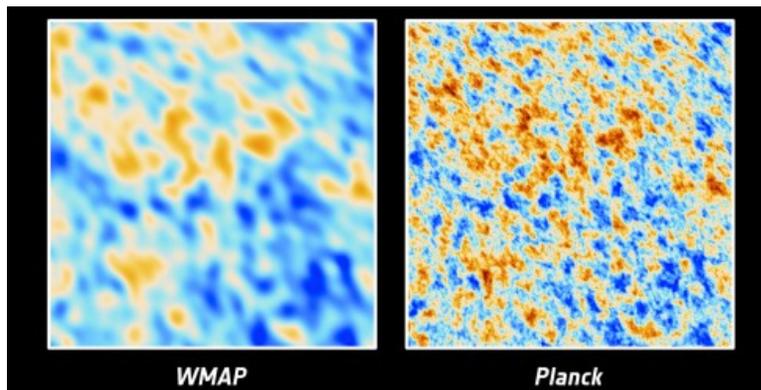
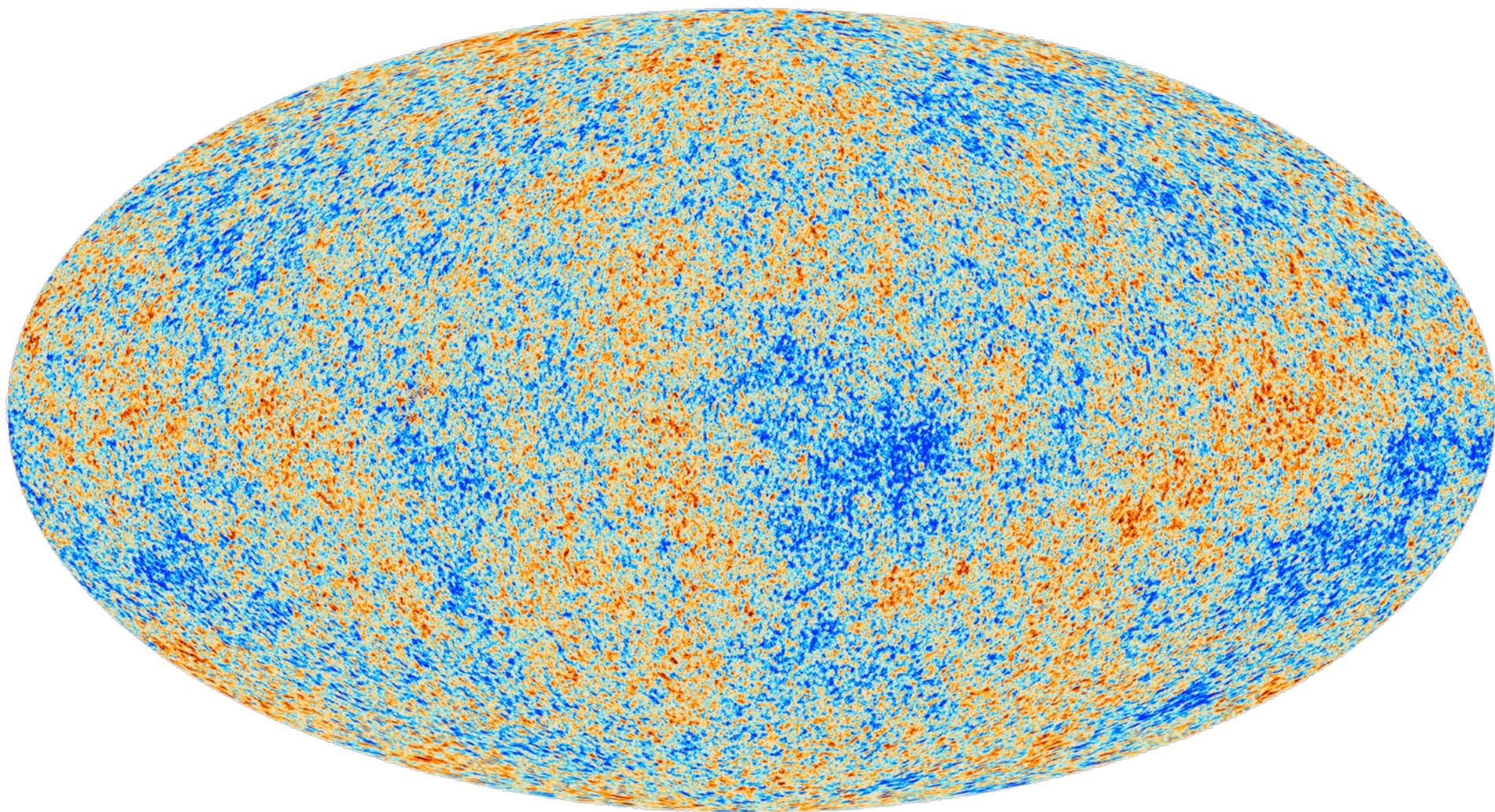


-1.0 5.0 MJy sr^{-1}

857 GHz



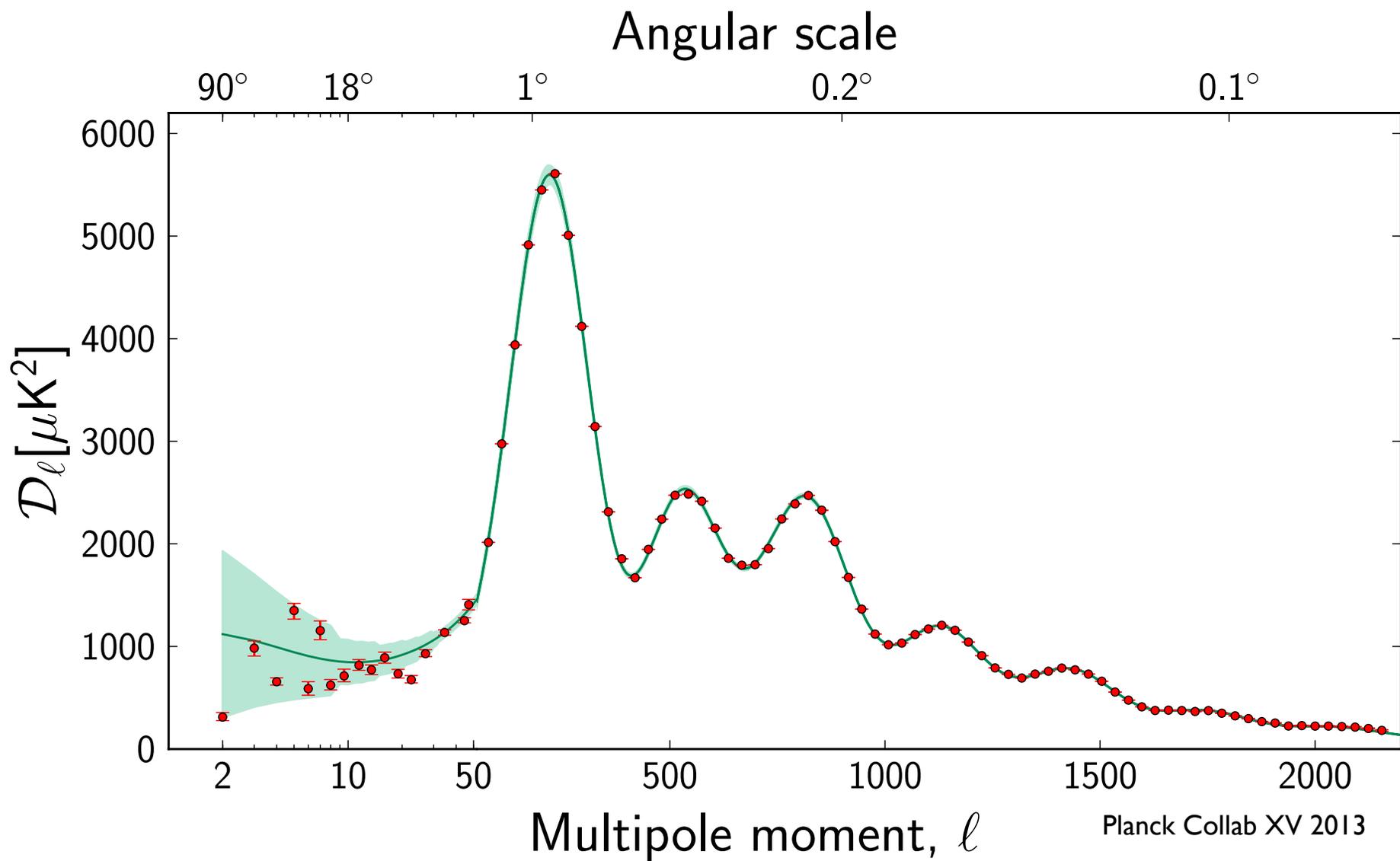
-2.0 20.0 MJy sr^{-1}



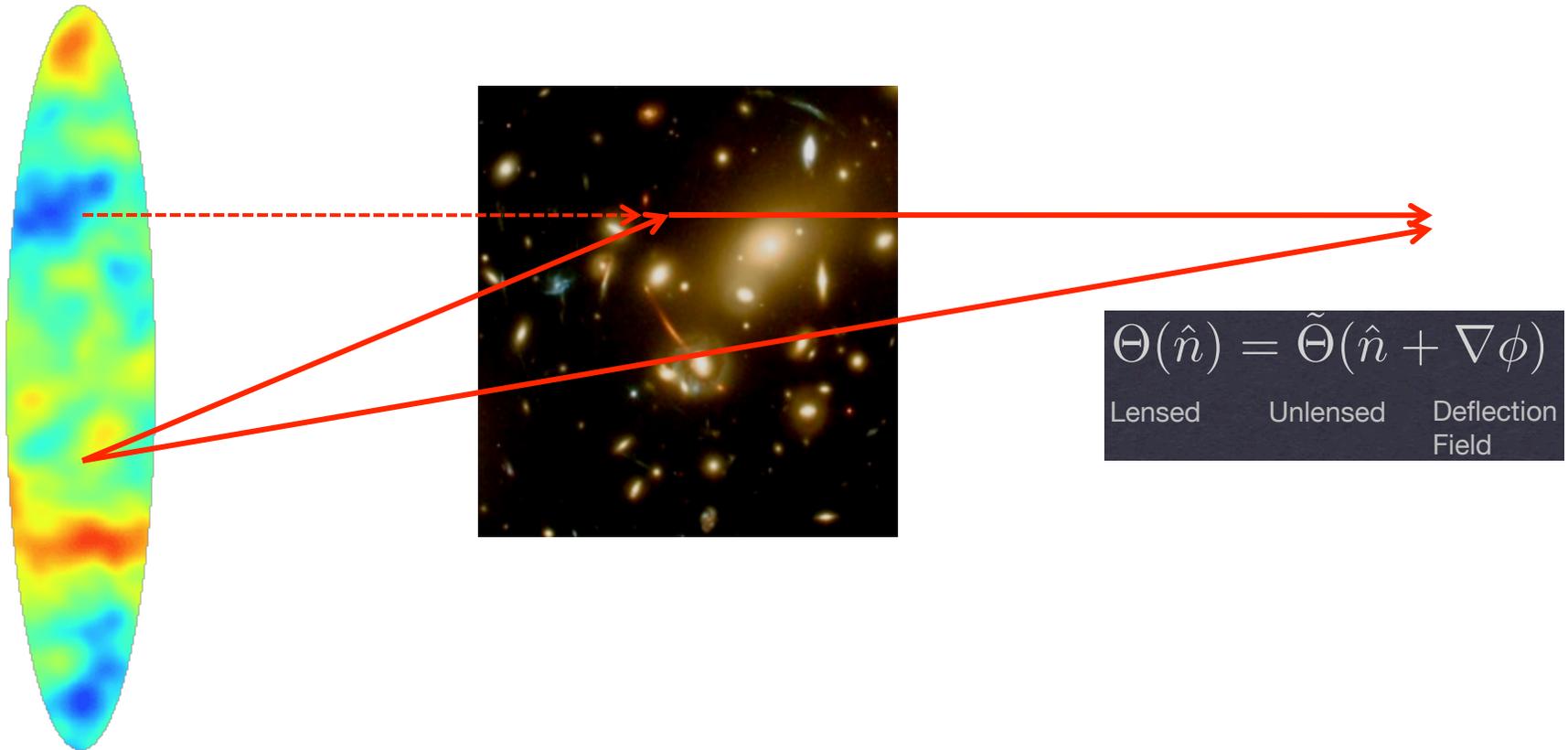
WMAP

Planck

Planck

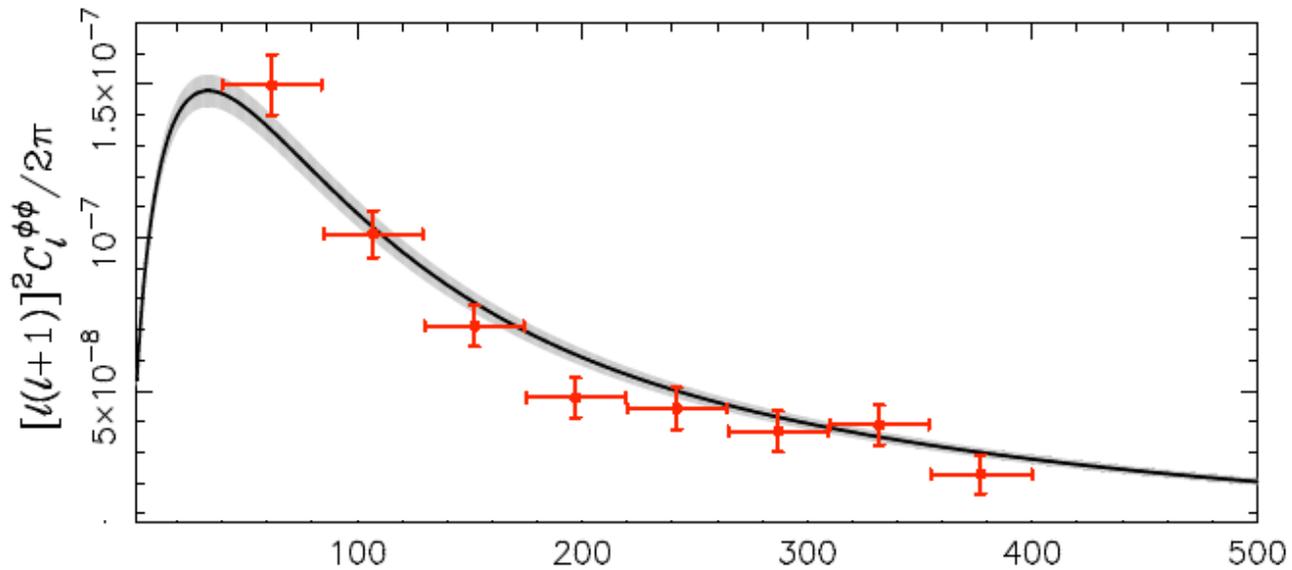
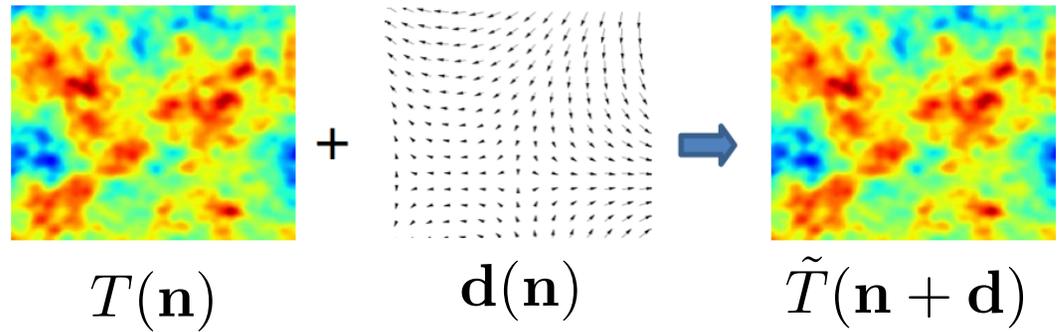


Lensing of the CMB



Integrated mass fluctuations along the line of sight
Deflection is a couple of arcminutes, but coherent on degree scales.

CMB lensing



$$\frac{\ell^2}{4} C_\ell^{dd} = \int_0^{\eta^*} d\eta \underbrace{W^2(\eta)}_{\text{geometry}} \underbrace{P\left(k = \frac{\ell + 1/2}{d_A(\eta)}\right)}_{\text{matter}}$$

What questions can we ask of the data?

Does Λ CDM still work?

Is inflation the right paradigm?

Which inflation model?

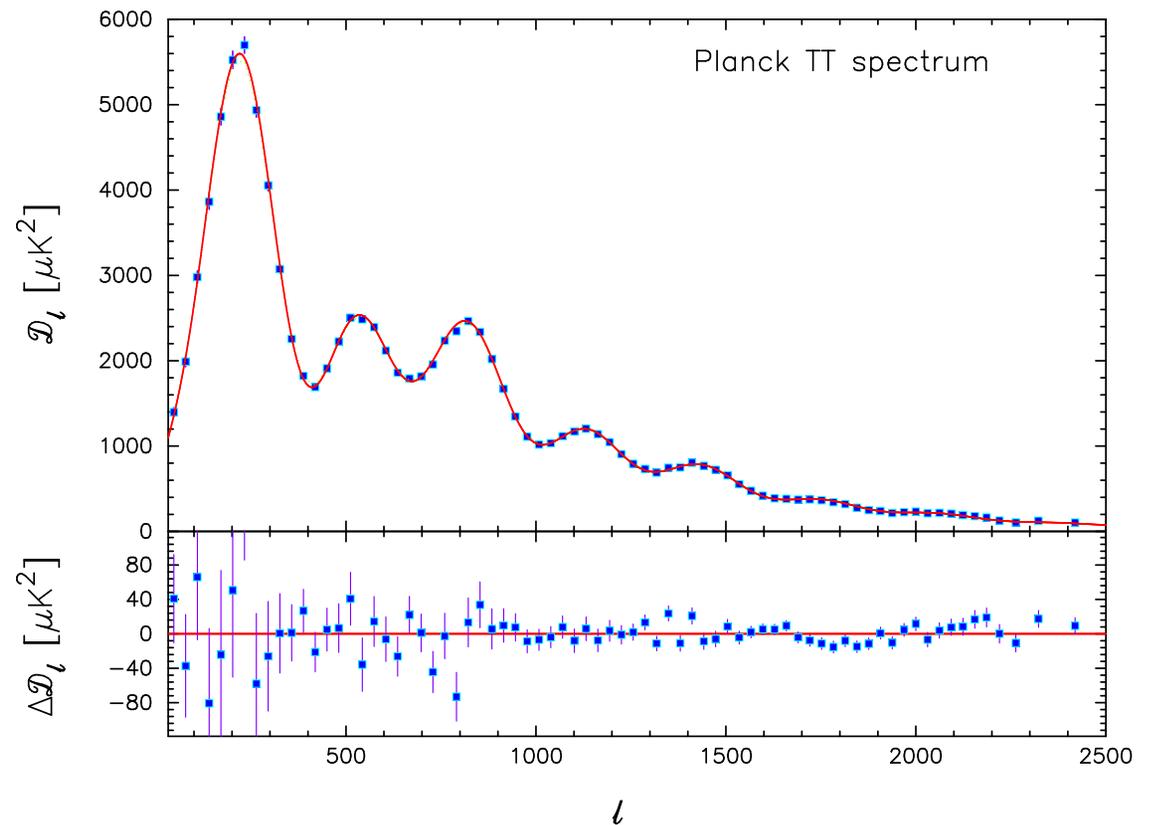
Is Dark Energy a constant, or a dynamical component?

*What are the masses of the neutrinos?

*Are there extra relativistic species?

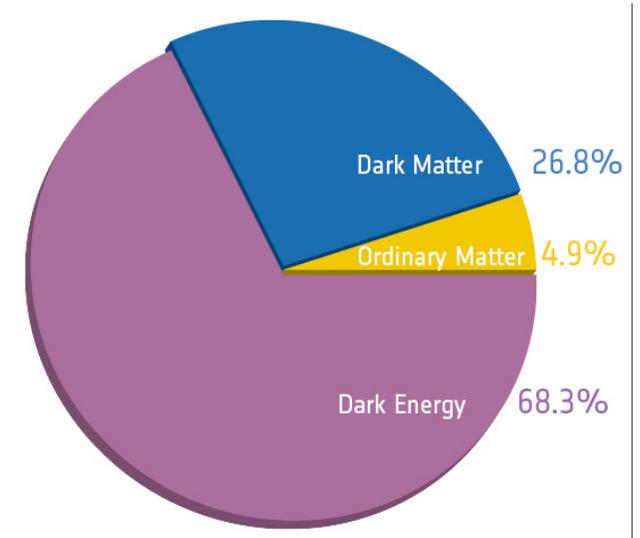
Are there other high energy signatures?

Are there 'other' signatures?



Planck Collab XV 2013

Λ CDM: flat 6-parameters



Planck +WP

$$\Omega_b h^2 = 0.0221 \pm 0.0003$$

$$\Omega_c h^2 = 0.120 \pm 0.003$$

$$n_s = 0.960 \pm 0.007$$

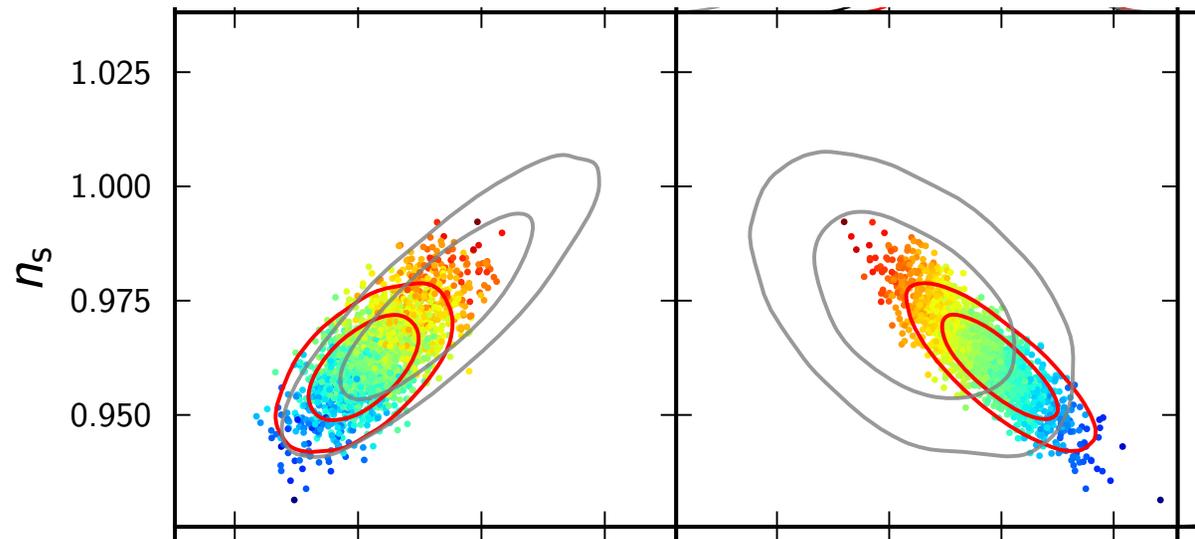
$$10^9 A_s = 2.20 \pm 0.06$$

$$\tau = 0.089 \pm 0.014$$

$$H_0 = 67.3 \pm 1.2$$

$$\Omega_\Lambda = 0.685 \pm 0.017$$

$$\sigma_8 = 0.83 \pm 0.01$$



High mass \rightarrow low cross section \rightarrow high relic density

Neutrinos: cosmological effects

- Neutrinos thermally decouple when weak interaction rate < expansion rate of universe ~ 1 MeV.
- Photons have higher temperature from e^+e^- annihilation.
- If massive, become non-relativistic
 - $z=6000$ (3eV)
 - $z=30$ (0.05eV)

$$\Omega_\nu h^2 = \frac{\sum m_\nu}{94 eV}$$

$$T_\nu = T_\gamma \left(\frac{4}{11} \right)^{1/3}$$

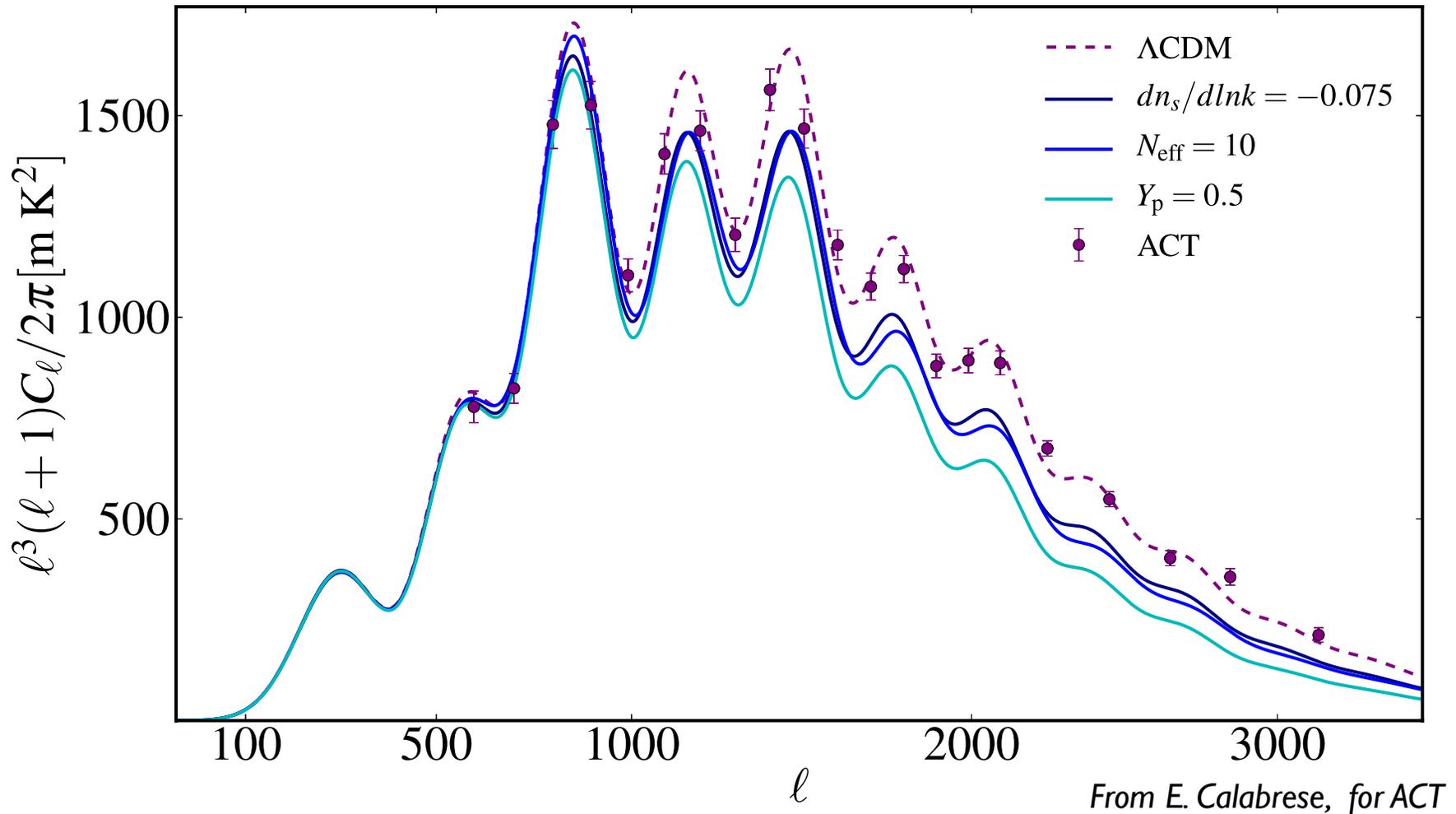
$$\rho_\nu = \left[\frac{7}{8} \left(\frac{4}{11} \right)^{4/3} N_{eff} \right] \rho_\gamma$$

Standard model: $N=3.046$

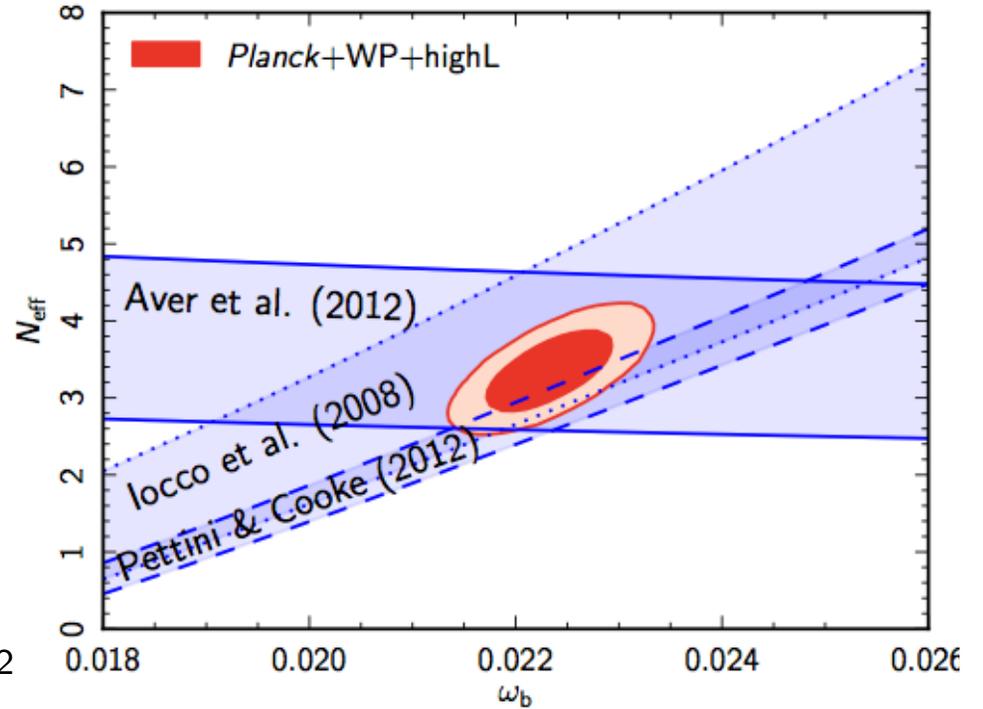
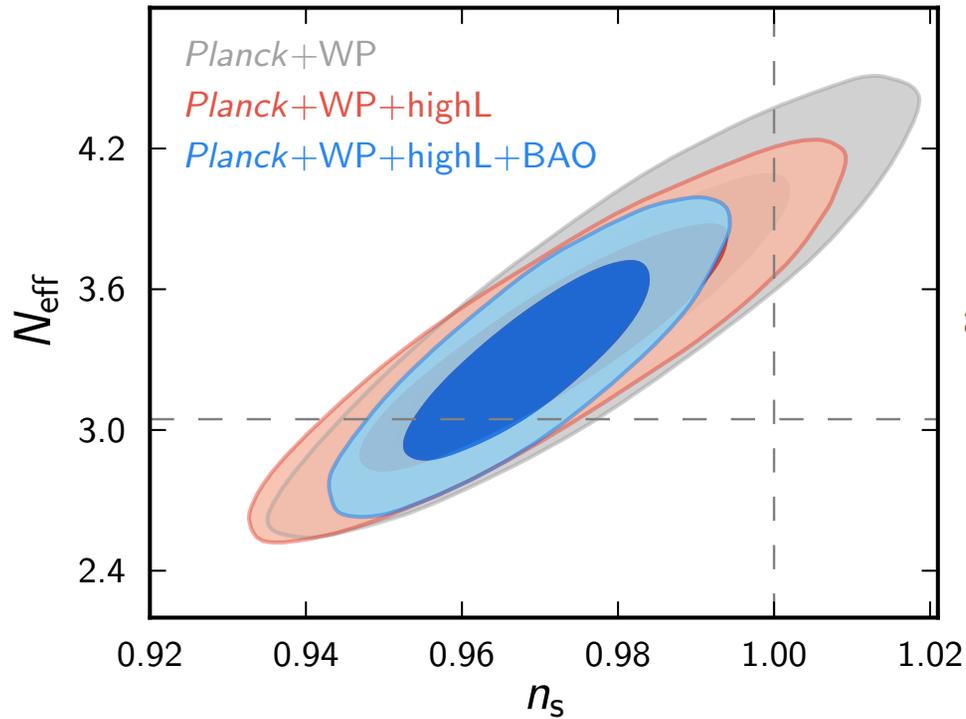
Effect of electron-positron annihilation (0.034)

Finite temperature QED (0.01)

Effect on small scales



Relativistic species



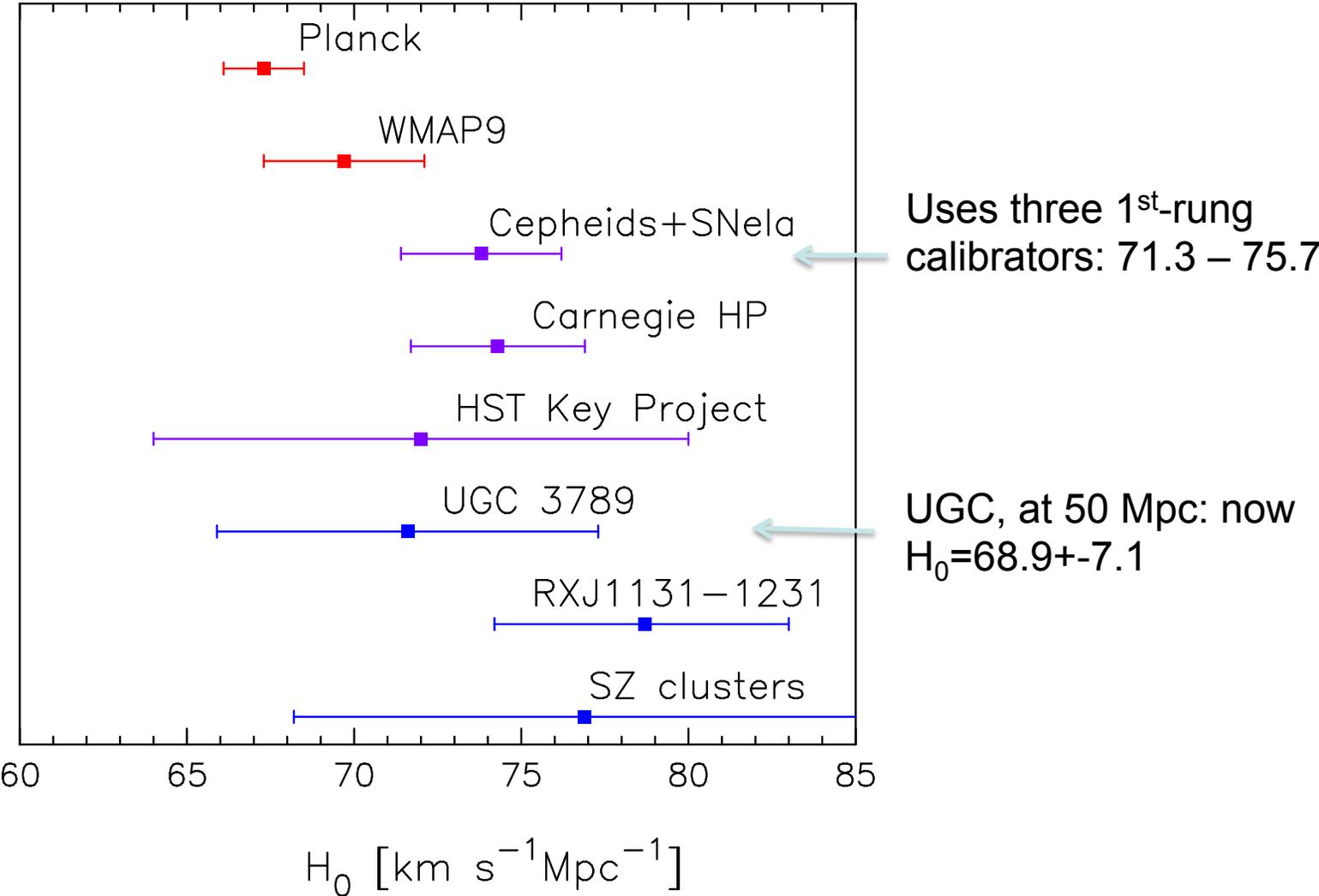
Planck Collab XVI 2013

More species, longer radiation domination; suppress early acoustic oscillations in primary CMB; have anisotropic stress

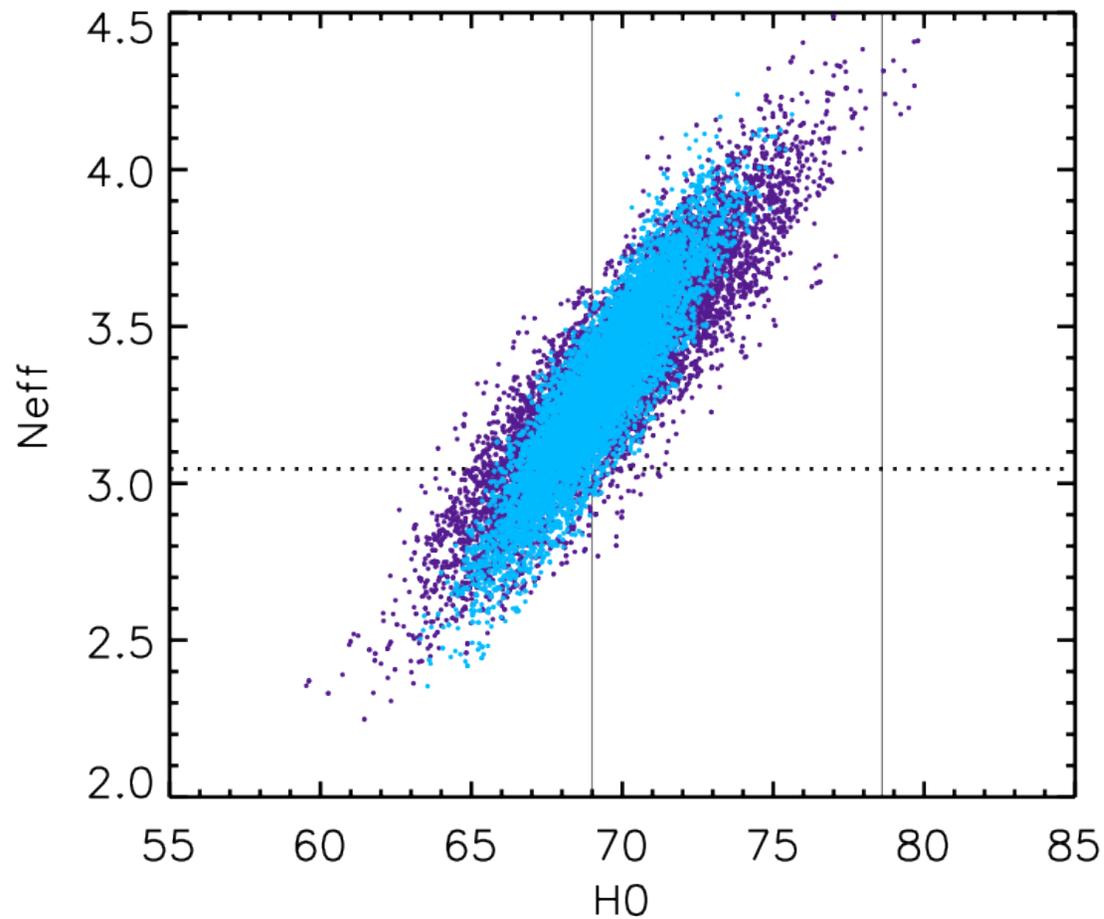
$$N_{\text{eff}} = 3.36 \pm 0.34 \text{ (68\%, Planck+WP+highL)}$$

$$N_{\text{eff}} = 3.30 \pm 0.27 \text{ (+BAO)}$$

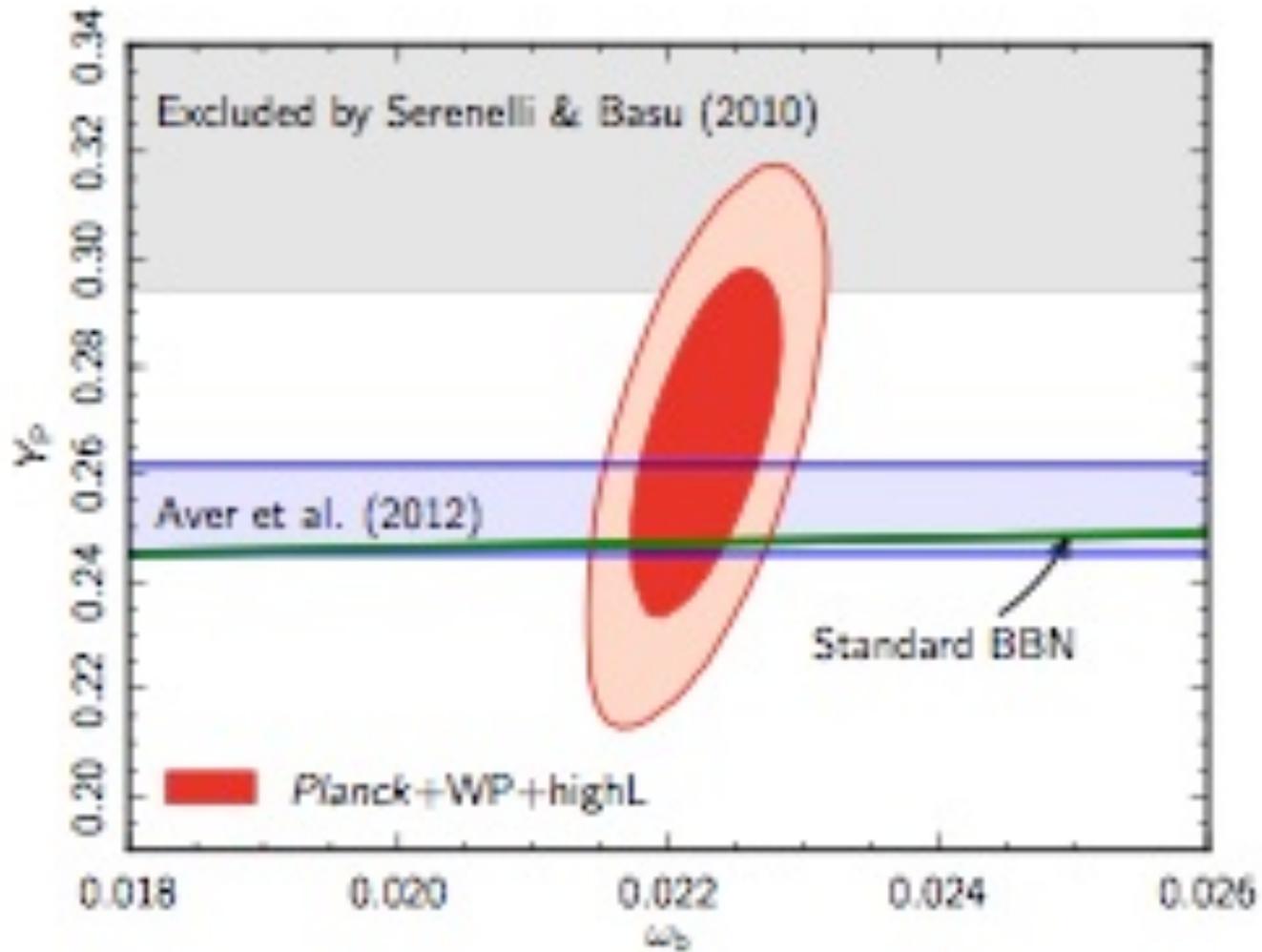
Hubble constant: a 2.5σ tension for $N=3$



How does $N > 3$ relieve tension?



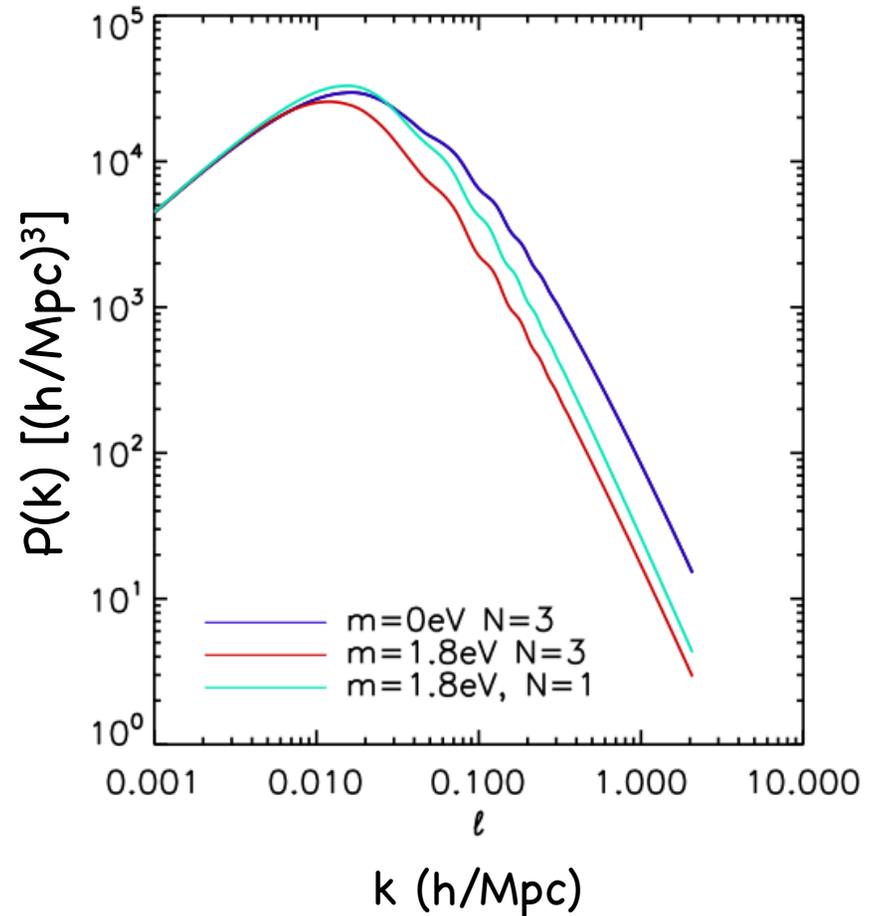
Primordial helium



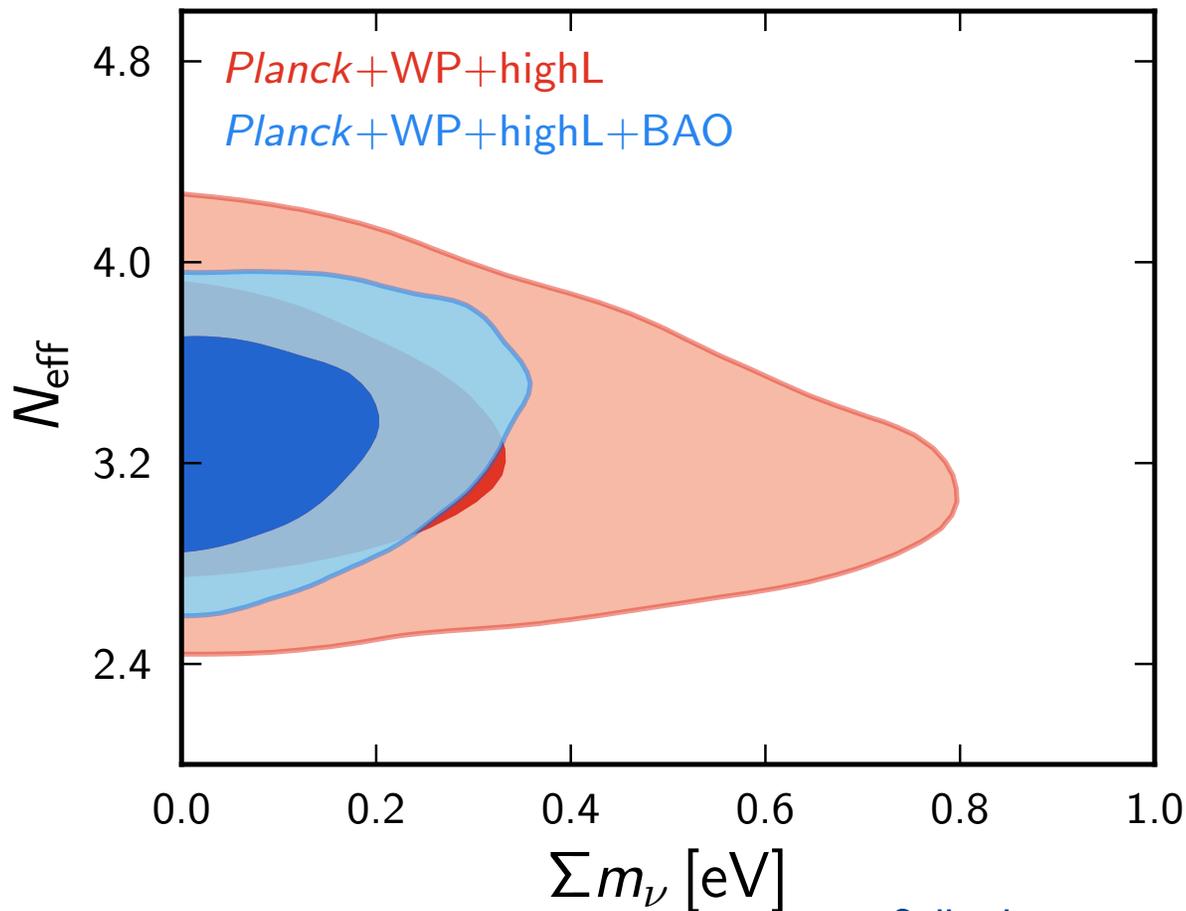
Effect of massive neutrinos (CMB+LSS)

- 1. Background:** Neutrinos act like radiation while relativistic.
- 2. Perturbations:**
 - Neutrinos free-stream when relativistic, and reduce damping of photon-baryon oscillations for these scales.
 - 1.5eV total mass \sim time of CMB
 - smears out matter clustering on scales where relativistic.
 - if $N_{\text{mass}} < 3$, each neutrino becomes non-relativistic sooner.

$$k_{nr} = 0.026 \left(\frac{m_\nu}{1\text{eV}} \right)^{1/2} \Omega_m^{1/2} h \text{Mpc}^{-1}$$



Sum of neutrino masses



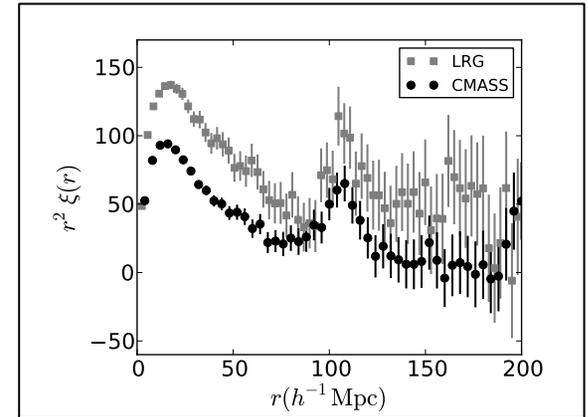
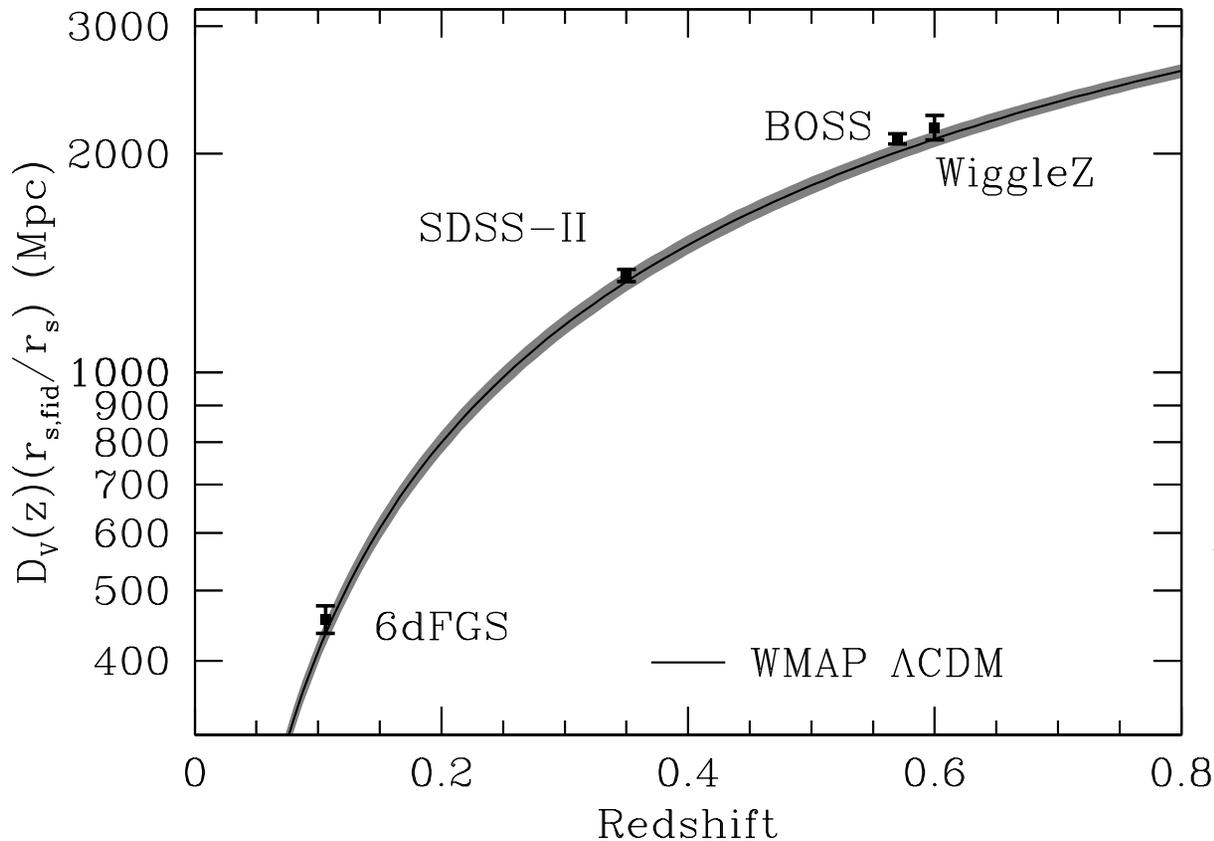
$\Sigma m_\nu < 0.66$ eV (95%, Planck+VWP
+highL)

$\Sigma m_\nu < 0.23$ eV (+BAO)

But, adding Planck lensing spectrum
increases limit to <0.85 ; preferring
slightly higher masses.

- Still relativistic at recombination
- Improved limit also driven by lensing effect in power spectrum
- More mass; more suppression of lensing

Baryon Acoustic Oscillations



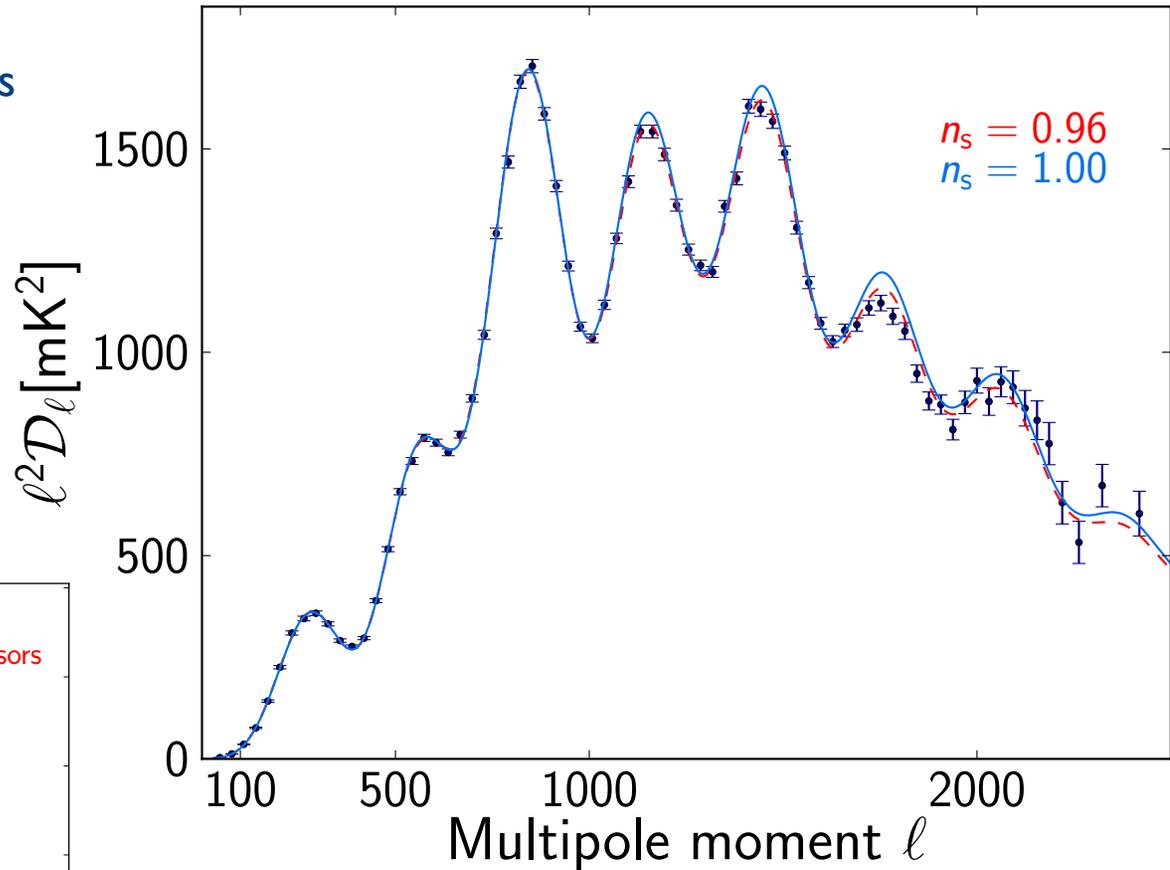
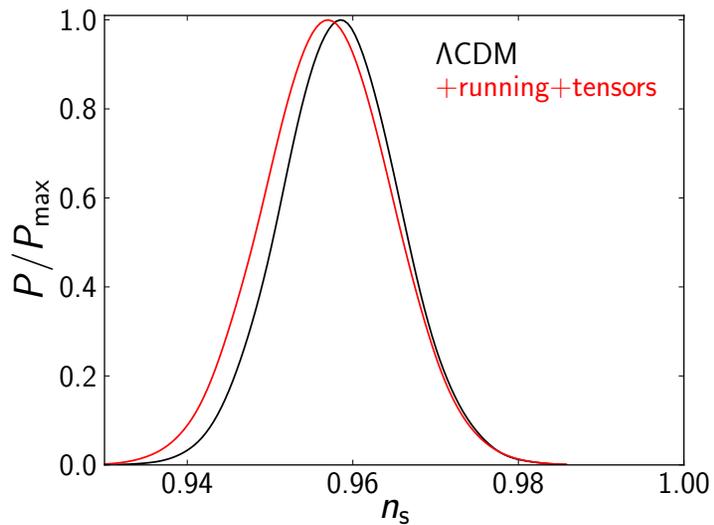
BOSS,
Anderson et al 2012

$$D_V(z) = \left[(1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

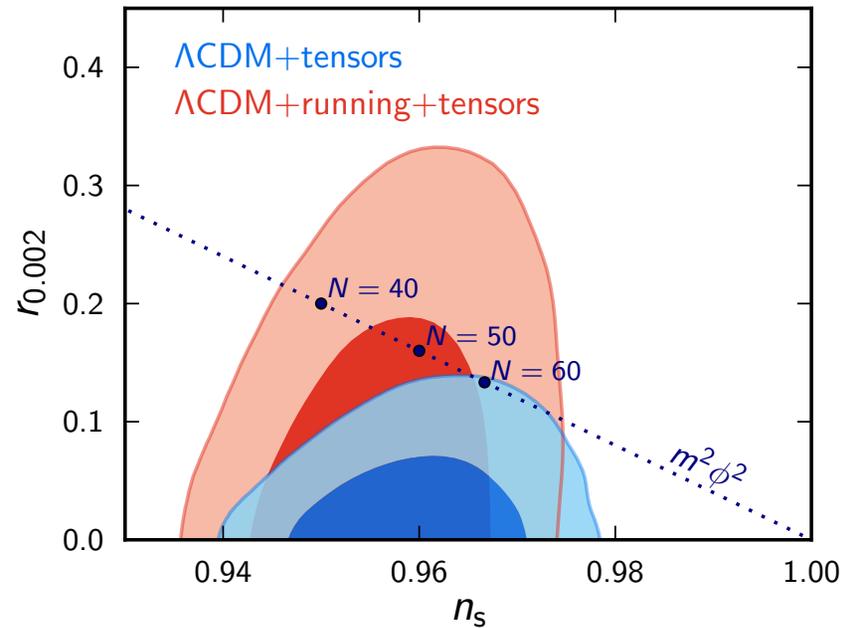
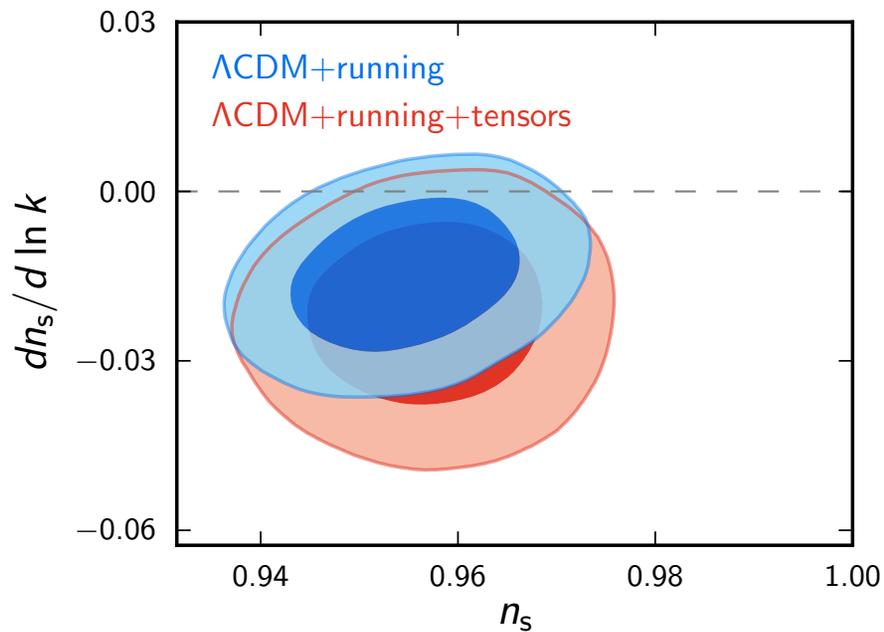
r_s is the comoving sound horizon at the baryon drag epoch
 D_V combines the angular diameter distance and the Hubble parameter

Inflation: scalar spectral index $n < 1$

Harrison-Zel'dovich generates too much power on small scales
Ruled out at $>5\sigma$
 $n_s = 0.960 \pm 0.007$



Inflation: running and tensors



$$\Delta_{\mathcal{R}}^2(k) = \Delta_{\mathcal{R}}^2(k_0) \left(\frac{k}{k_0} \right)^{n_s(k_0) - 1 + \frac{1}{2} \ln(k/k_0) dn_s/d \ln k}$$

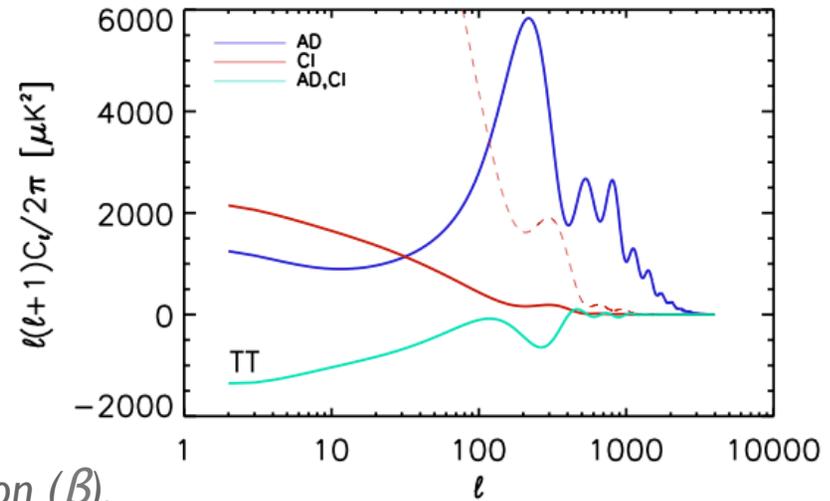
$m^2\phi^2$ model starts to be disfavored
Constraint on r comes from large-scale TT

$$dn_s/d \ln k = -0.015 \pm 0.009 \text{ (68\%, Planck+WVP+highL)}$$

$$r < 0.11 \text{ (95\%, Planck+WVP+highL)}$$

Inflation: no evidence for isocurvature

$$S_{c,\gamma} \equiv \frac{\delta\rho_c}{\rho_c} - \frac{3\delta\rho_\gamma}{4\rho_\gamma}$$



Upper limits on fractional primordial contribution (β), or fractional contribution to CMB power (α):

Model	$\beta_{\text{iso}}(k_{\text{low}})$	$\beta_{\text{iso}}(k_{\text{mid}})$	$\beta_{\text{iso}}(k_{\text{high}})$	$\alpha_{RR}^{(2,2500)}$	$\alpha_{II}^{(2,2500)}$	$\alpha_{RI}^{(2,2500)}$
General model:						
CDM isocurvature	0.075	0.39	0.60	[0.98:1.07]	0.039	[-0.093:0.014]
ND isocurvature	0.27	0.27	0.32	[0.99:1.09]	0.093	[-0.18:0]
NV isocurvature	0.18	0.14	0.17	[0.96:1.05]	0.068	[-0.090:0.026]
Special CDM isocurvature cases:						
Uncorrelated, $n_{II} = 1$, (“axion”)	0.036	0.039	0.040	[0.98:1]	0.016	–
Fully correlated, $n_{II} = n_{RR}$, (“curvaton”)	0.0025	0.0025	0.0025	[0.97:1]	0.0011	[0:0.028]
Fully anti-correlated, $n_{II} = n_{RR}$	0.0087	0.0087	0.0087	[1:1.06]	0.0046	[-0.067:0]

Summary

- The Planck satellite has measured 7 acoustic peaks of the CMB power spectrum, and the lensing power spectrum
- Places strong (percent-level) constraints on Λ CDM model (CDM density error halved); in excellent agreement with data.
- Constrains neutrino physics: $m_{\nu} < 0.66$ eV (0.23), and $N = 3.3 \pm 0.3$
- Detection of $n < 1$ at ~ 5 sigma; robust to extensions. No non-Gaussianity or non-adiabaticity. All consistent with inflation.
- Upcoming CMB data could get to errors on N of 0.1, and errors on m_{ν} of 0.1 and later 0.05 (using lensing).



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